# The International Space Station in orbit (ISS) 

## Specs

Brightness
Launch Window
Orbital Altitude
Mass
Dimensions
Speed
Orbital Inclination
Estimated Cost
Orbital Period
Observational
Visibility
Orbital Type
approximately -4 (less than Venus)
5-10 min.
361 km at perigee
437 km at apogee
approx. 420000 kg
111.08 m by 89.2 m
approx. $26720 \mathrm{~km} / \mathrm{h}$
$51.5947^{\circ}$
28 billions
approx. 90 min .
btw $60 \mathrm{~N} \& 60 \mathrm{~S}$
elliptical

Countries - Canada, Belgium, Brazil, Denmark, France, Germany, Italy, Japan, the Netherlands, Norway, Russia, Spain, Sweden, Switzerland, the United Kingdom, the United States

Definitions

| Altitude | Distance of orbit above the Earth's surface. |
| :--- | :--- |
| Apogee | An Earth - centered orbiting object's farthest point from Earth. |
| Brightness | Measured in magnitudes (as stars and planets are). Brightness depends on <br> elevation above the horizon as well - objects appear dimmer when close to the <br> horizon because of atmospheric interference. |
| Circular Orbit | An orbit that has no perigee or apogee. |
| Elliptical <br> Orbit | An Earth - centered orbit having a perigee (closest approach to Earth) and an <br> apogee (farthest distance from Earth). Most orbits are elliptical or "oval <br> shaped". |
| Equatorial | Orbit which encompasses inclinations from approximately 0-70 <br> (includes most satellites). |
| Launch S <br> Window | Best time of day for launch based on ISS position relative to launch site, <br> among other things. |
| Orbital <br> Inclination | Inclination is measured in degrees parallel to latitude. It is used instead of <br> latitude to refer to objects in orbit, such as the ISS. It is an angular <br> measurement taken from the Earth's equator. |
| Orbital <br> Period | The time it takes for an object to complete one orbit. <br> PerigeeAn Earth - centered orbiting object's closest approach to Earth.  <br> Polar Orbit An object which orbits around the poles. The object's orbital inclination is $90^{\circ}$. <br> The orbit can be circular or elliptical (example: weather satellites). <br> Viewing Variations in time of day a satellite, space station or ISS passes. The time ISS |


| Windows | passes occur each day will vary because our 24-hour day is not evenly <br> divisible by the ISSÆ 90-min. orbital period. The Space Station will appear in <br> the sky a little earlier (or later) on subsequent days and thus move from <br> daytime to nighttime passes cyclically. |
| :--- | :--- |

## Orbital Elements

| Distances | Perigee of orbiting element <br> Apogee of orbiting element |
| :--- | :--- |

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Orbital Period The time it takes for an object to complete one orbit

## Orbital Types

Circular Orbit An orbit that has no perigee or apogee
Elliptical Orbit An Earth - centered orbit having a perigee (closest approach to Earth) and an apogee (farthest distance from Earth). Most orbits are elliptical or "oval shaped"

## Special Cases

Polar Orbit An object which orbits around the poles. The object's orbital inclination is $90^{\circ}$. The orbit can be circular or elliptical (example: weather satellites).

Equatorial Orbit which encompasses inclinations from approximately $0-70^{\circ} \mathrm{N}$ or S (includes most satellites)
Geostationary
or geosynchronous - Satellites orbiting at altitudes of approx. 36000 km take one day to orbit the Earth. Since they are moving at the speed the Earth rotates, they are positioned over the same location at all times (example: communications and meteorological satellites).

## Activities

Junior High or High School

- Have the students trace out a ground track of the ISS orbit (between $51.6^{\circ} \mathrm{N}$ and $51.6^{\circ} \mathrm{S}$ ) on a map. An example of the track on a Mercator Projection is given in the student handout. Because a map is not a three-dimensional projection of the Earth, the track will be an S-curve. Also, the altitude of the ISS will not be represented.
- Compare these two-dimensional representations to a track mapped out on a globe.
- Tie a string around the globe (again, between $51.6^{\circ} \mathrm{N}$ and $51.6^{\circ} \mathrm{S}$ ). This will represent the inclination of the ISS as it orbits around the Earth. Also, the width of the string could adequately represent the altitude of the ISS (the scale is about right).

High School

- Have the students figure out why the ISS can be seen from higher latitudes if its altitude is increased. This concept is illustrated in the student handout (pgs. $2 \& 3$ ). In these illustration, we can see that the horizon is tangent to your point of latitude. (You can scale your own Earth from a full Earth, a half, a quadrant, etc.).
- Have the students draw lines from the center of a scaled Earth at angles representing their latitudes, the ISS inclination latitude, and other latitudes. All lines (except for the ISS line) should end at the surface of the Earth.
- Have them extend the ISS line above the surface to a 400 km altitude (based on your scale). The ISS, then, will be a point at the tip of this line.
- Next, have the students draw tangent lines to the points of all the angled lines, as in the illustration. These lines will be the horizons for each latitude. If the ISS (the tip of the point on the $51.6^{\circ}$ line) falls below the horizon lines, it will not be seen. If it is above, it will.


## Expand on this activity

Having the students create an illustration like the one below will help them ascertain the altitude the ISS would need to be seen at latitudes outside its inclination limitations. The students can pick a latitude, follow the same procedures of drawing tangent lines, and find the length the hypotenuse line "H" (being the ISS line) would have to be to just meet with the horizon line for that latitude. The altitude at which the ISS would need to be to be seen at that latitude would have to be slightly greater than the length of "H".

## Example

If an observer is at $80^{\circ} \mathrm{N}$, what altitude would the ISS have to be for the observer to see it?
In this case, we are looking at the inner triangle $B, D, H$ in the diagram below. We know the length of $B$ (Earth's radius) and the angle of A (angle of $\mathrm{B}\left(80^{\circ}\right)$ - angle of line $\mathrm{H}\left(51.6^{\circ}\right)$ ). We also know the angle of $P\left(180^{\circ}-(A+M)\right)$. Given the angle of $P$ and the length of $B$, we can find the length of $D(\tan P=$ opposite (B) / adjacent (D)). Once we know the length of $D$, we can use it and $B$ to find the length of $H$ (Pythagorean). The length of H minus the length B (Earth's radius) will equal E - the altitude at which
the ISS would have to be to just meet the $80^{\circ}$ horizon. So, anything greater than this number would put the altitude right over the horizon to be seen at $80^{\circ} \mathrm{N}$ or S.

## EXAMPLE - ISS VISIBILITY AT $80^{\circ} \mathrm{N}$ (or S)



