

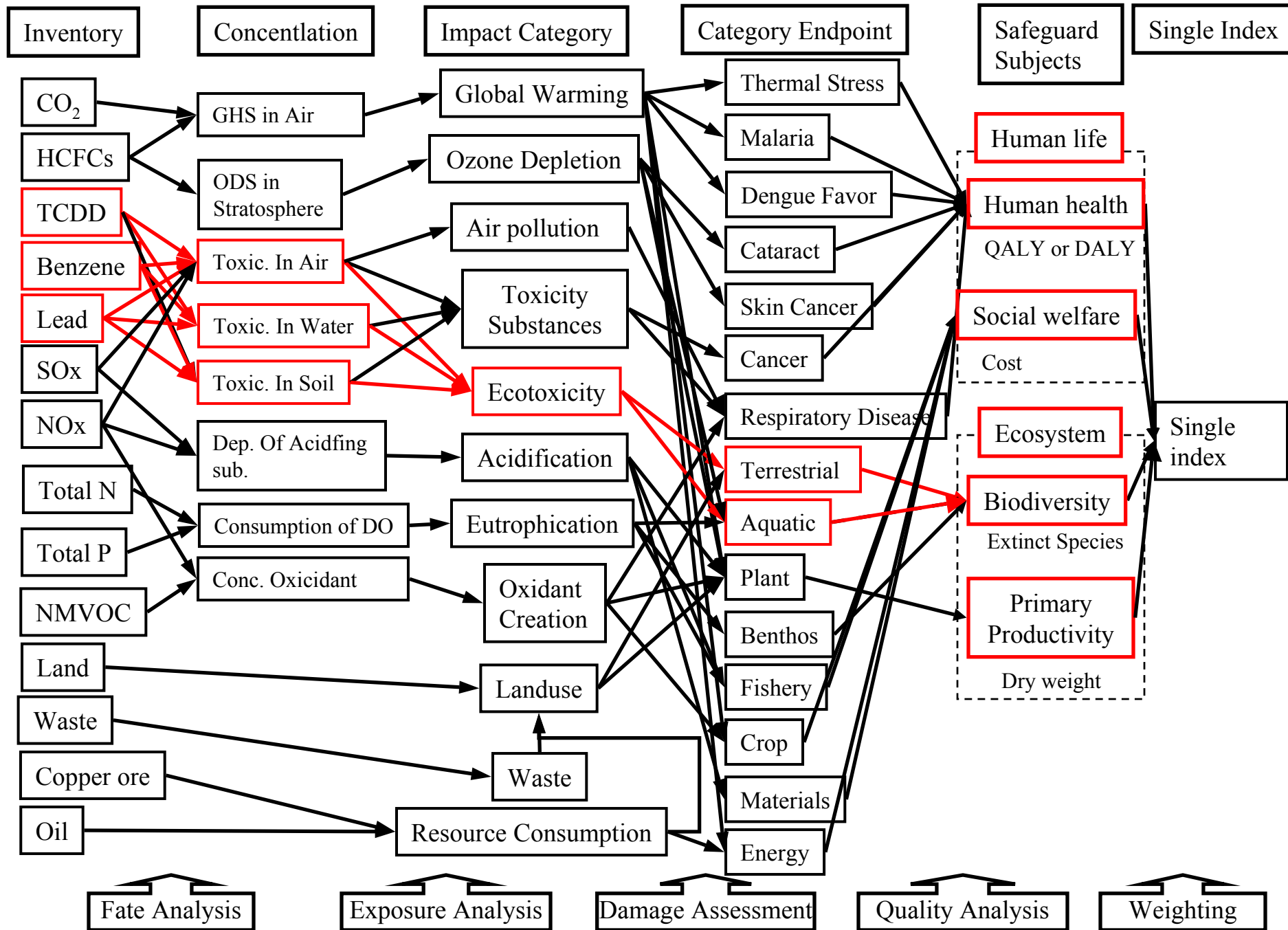
# Development of Damage Functions Considering Toxic Impacts of Ecosystem in Japan

Norihiro Itsubo, \*Tomohiko Sakao  
\*\*David Pennington, Atsushi Inaba

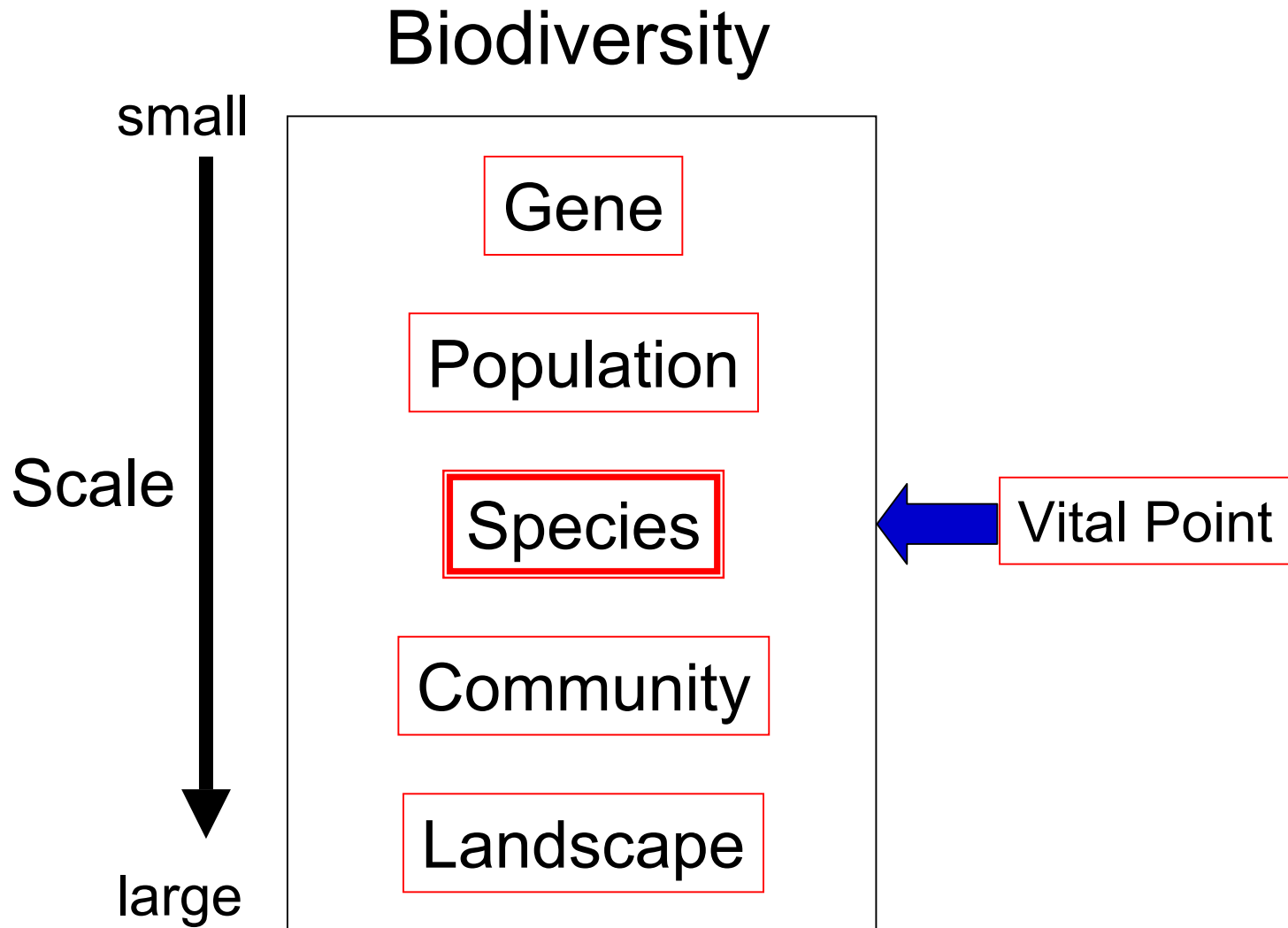
National Institute for Advanced Industrial Science and Technology (AIST)

\*Mitsubishi Research Institute, \*\*Swiss Federal Institute of Technology - Lausanne

# Endpoint-type LCIA Methodology for Japan



# Definition (1)



# Definition (2)

EINES (Expected Increased Numbers of Extinct Species)

$$\text{EINES} = \sum_G N_G \times \Delta R_G$$

$N_G$ : The numbers of species for group G



Referred from RD Book

$\Delta R_G$ : The incremental risk for extinction of specie

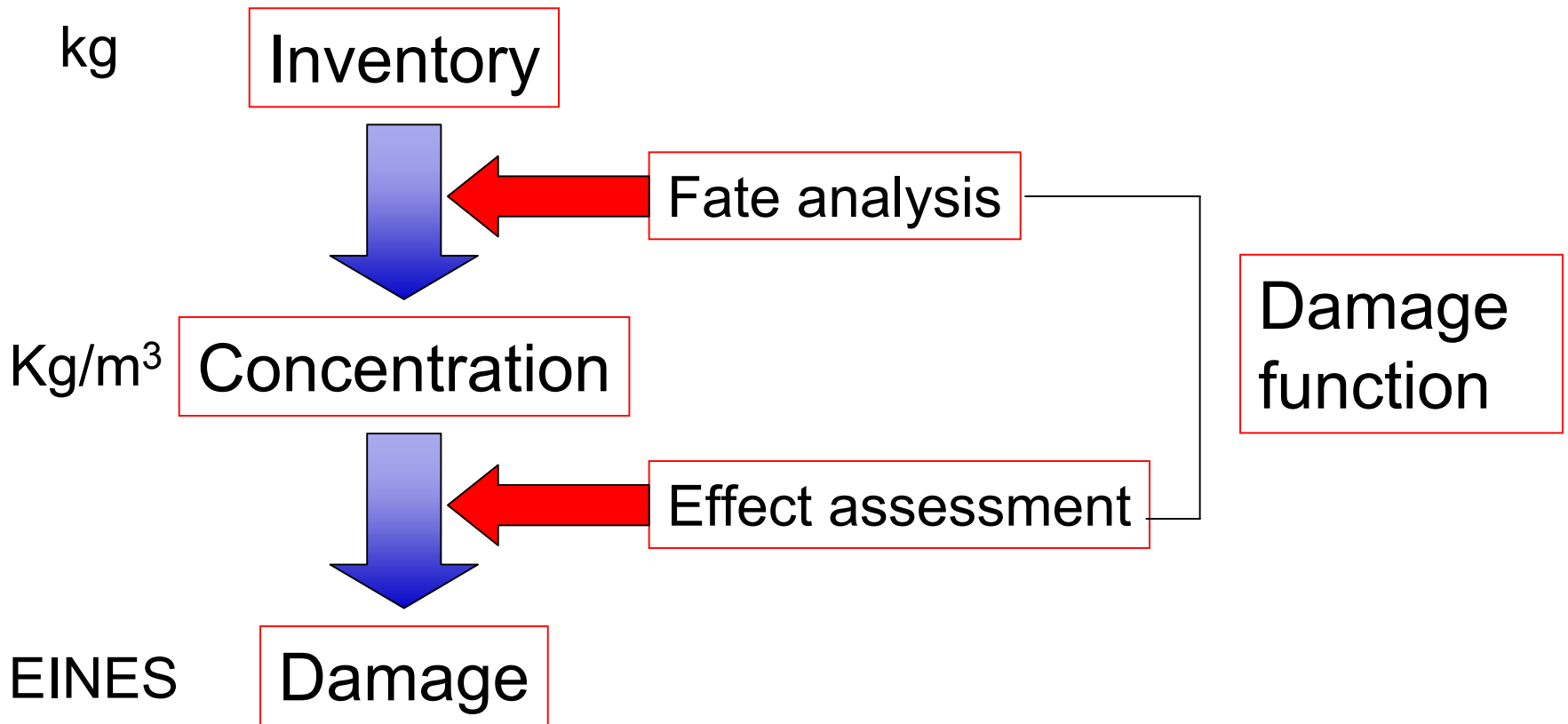


Estimated By Models

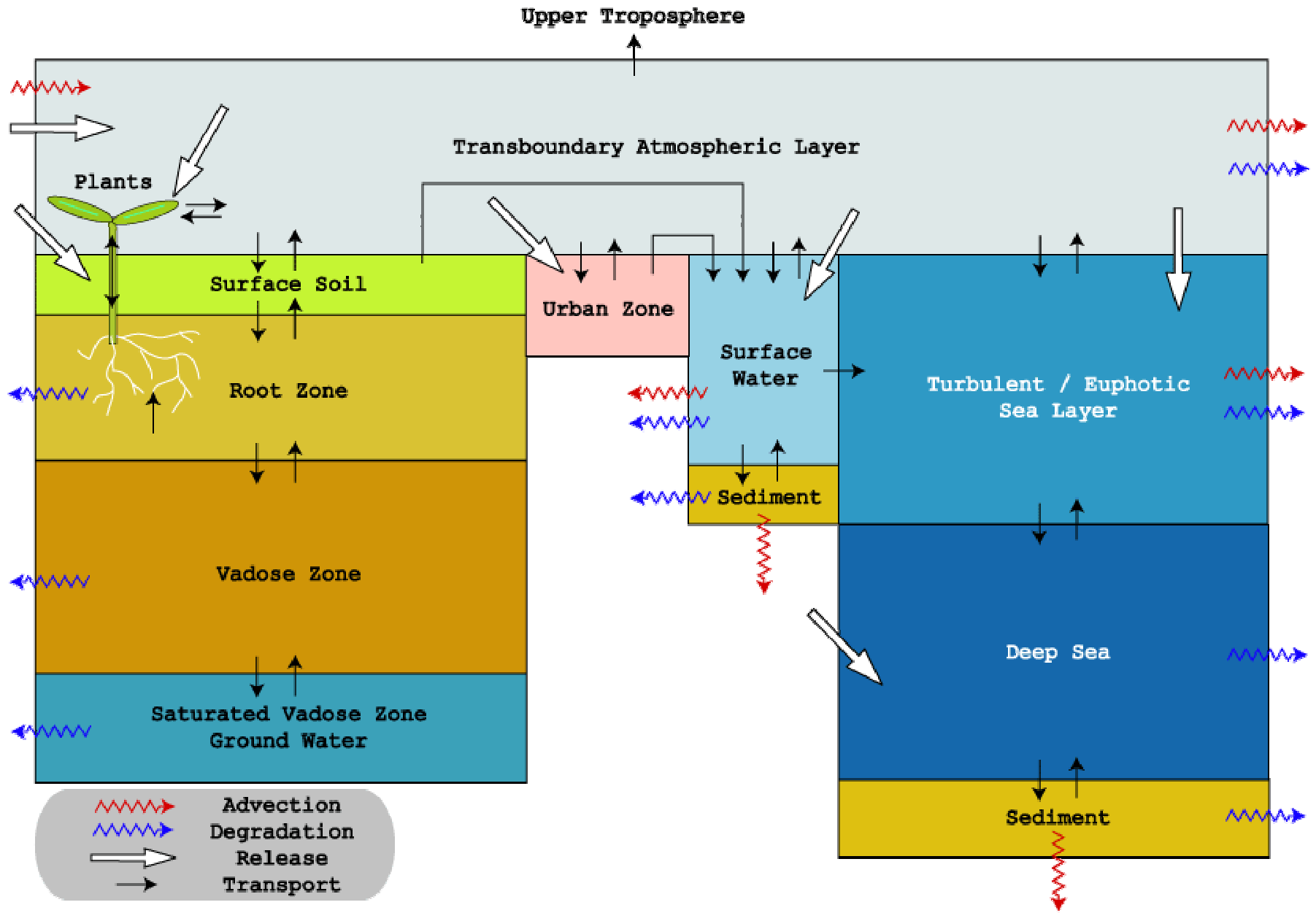
# Present State of Japan

Group of Species	The numbers of existing species in Japan	State of specie	Model type
Critically Endangered (CE)	673	Decreasing	1
Endangered (EN)	634	Decreasing	1
Vulnerable (VU)	957	Stable	2
Lower Risk and Others (LR)	62,000	Stable	2

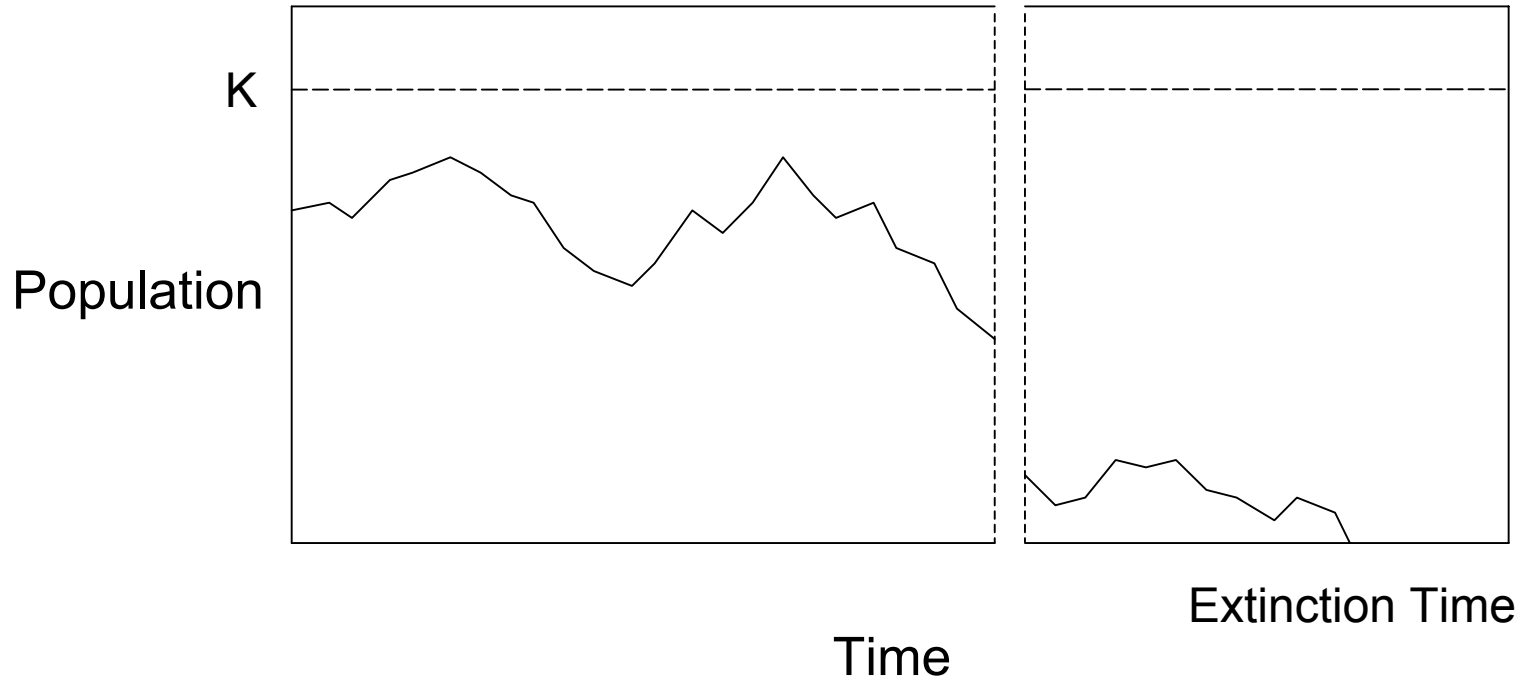
# Procedure



# Japan Multimedia Fate Model



# Effect Assessment

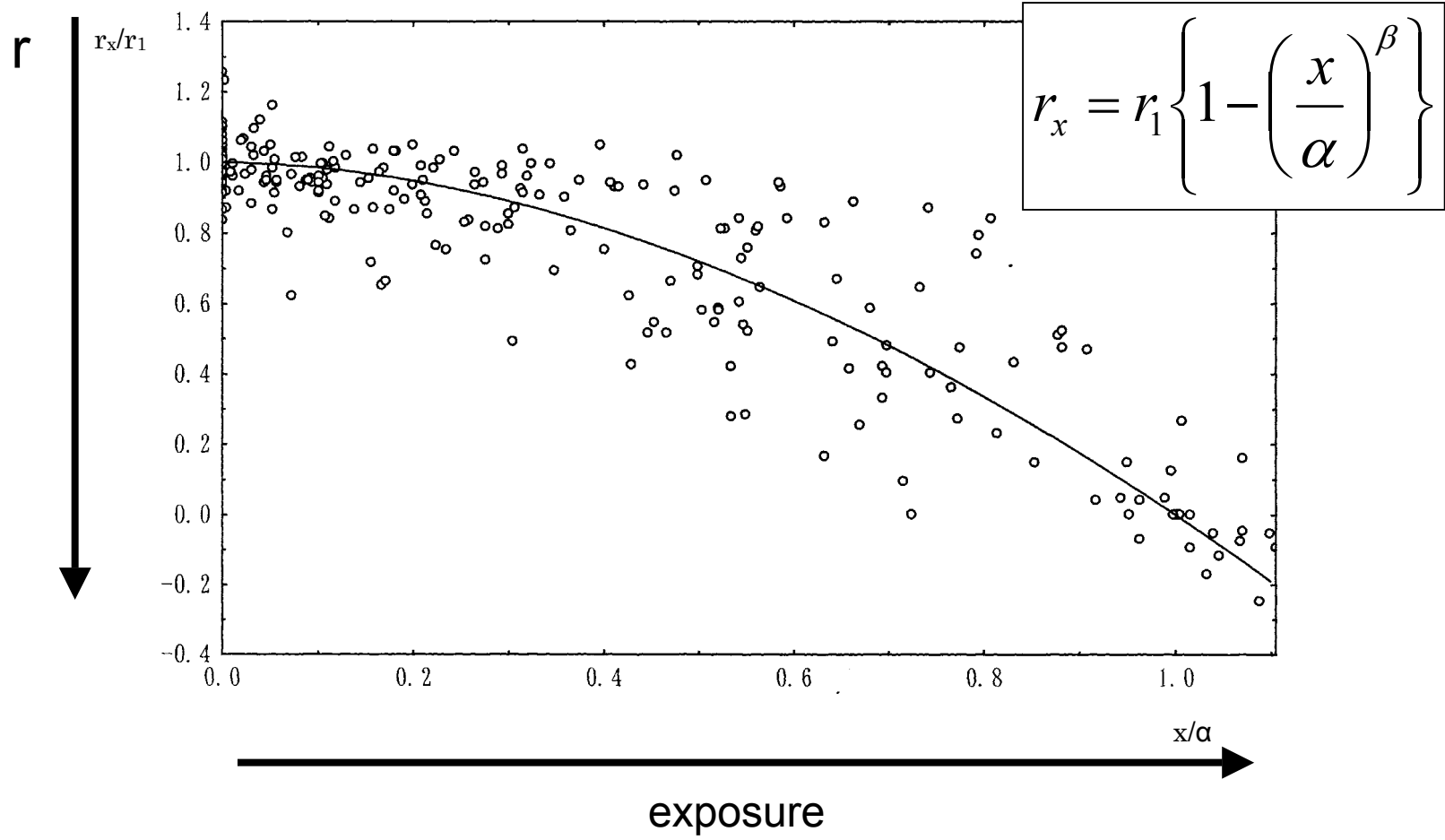


$$\text{Extinction time} = f(K, r, v)$$

K: Carrying capacity, **r: Intrinsic natural growth rate**, v: Environmental variance

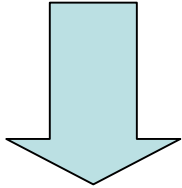


# Effect Assessment

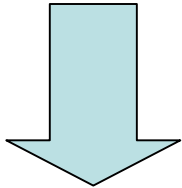


# Model (VU, LR)

Diffusion equation



Solution of diffusion equation



Estimate the increase of extinction risk

$$\frac{\sigma^2(N_0)}{2} \frac{d^2T}{dN_0^2} + \mu(N_0) \frac{dT}{dN_0} = -1$$

$$T = c \cdot K^{2(r/v)-1} \quad c = \frac{2\bar{r}}{V_e} - 1$$

Lande; American Naturalist, Vol.142, No.6, pp.911

$$\Delta R_G = \frac{1}{T_E} - \frac{1}{T_P}$$

# Model (CE, EN)

Diffusion equation

$$\frac{\partial p}{\partial t} = -\mu \frac{\partial p}{\partial x} + \left( \frac{\sigma^2}{2} \right) \frac{\partial^2 p}{\partial x^2}$$

Solution of diffusion equation

$$p(x, t|x_0) = (2\pi\sigma^2 t)^{-1/2} \left[ \exp\left\{ -\frac{(x - x_0 - \mu t)^2}{2\sigma^2 t} \right\} - \exp\left\{ -\frac{2\mu x_0}{\sigma^2} - \frac{(x + x_0 - \mu t)^2}{2\sigma^2 t} \right\} \right]$$

Estimate the possibility of extinction

$$g(t|x_0) = -\left( \frac{d}{dt} \right) \int_0^\infty p(x, t|x_0) dx$$
$$G(t|n_0) = \int_0^t g(t'|x_0) dt'$$

$$= \Phi\left[ \frac{-n_0 - rt}{\sigma\sqrt{t}} \right] + \exp\left\{ -\frac{2rn_0}{\sigma^2} \right\} \left( 1 - \Phi\left[ \frac{n_0 - rt}{\sigma\sqrt{t}} \right] \right)$$

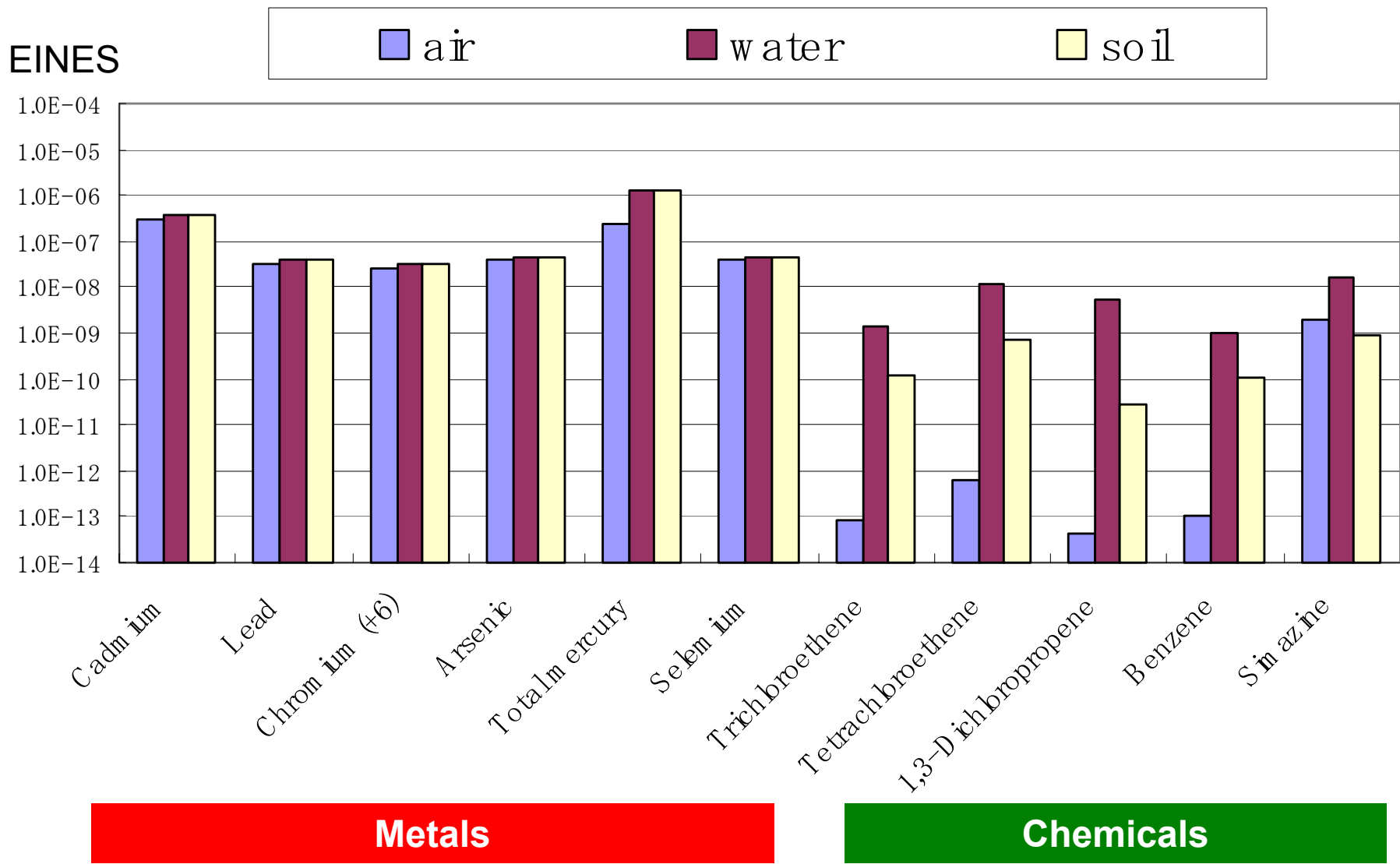
$$\Phi[y] = (2\pi)^{-1/2} \int_{-\infty}^y \exp\left\{ -\frac{z^2}{2} \right\} dz$$

Lande & Orzack (1998)

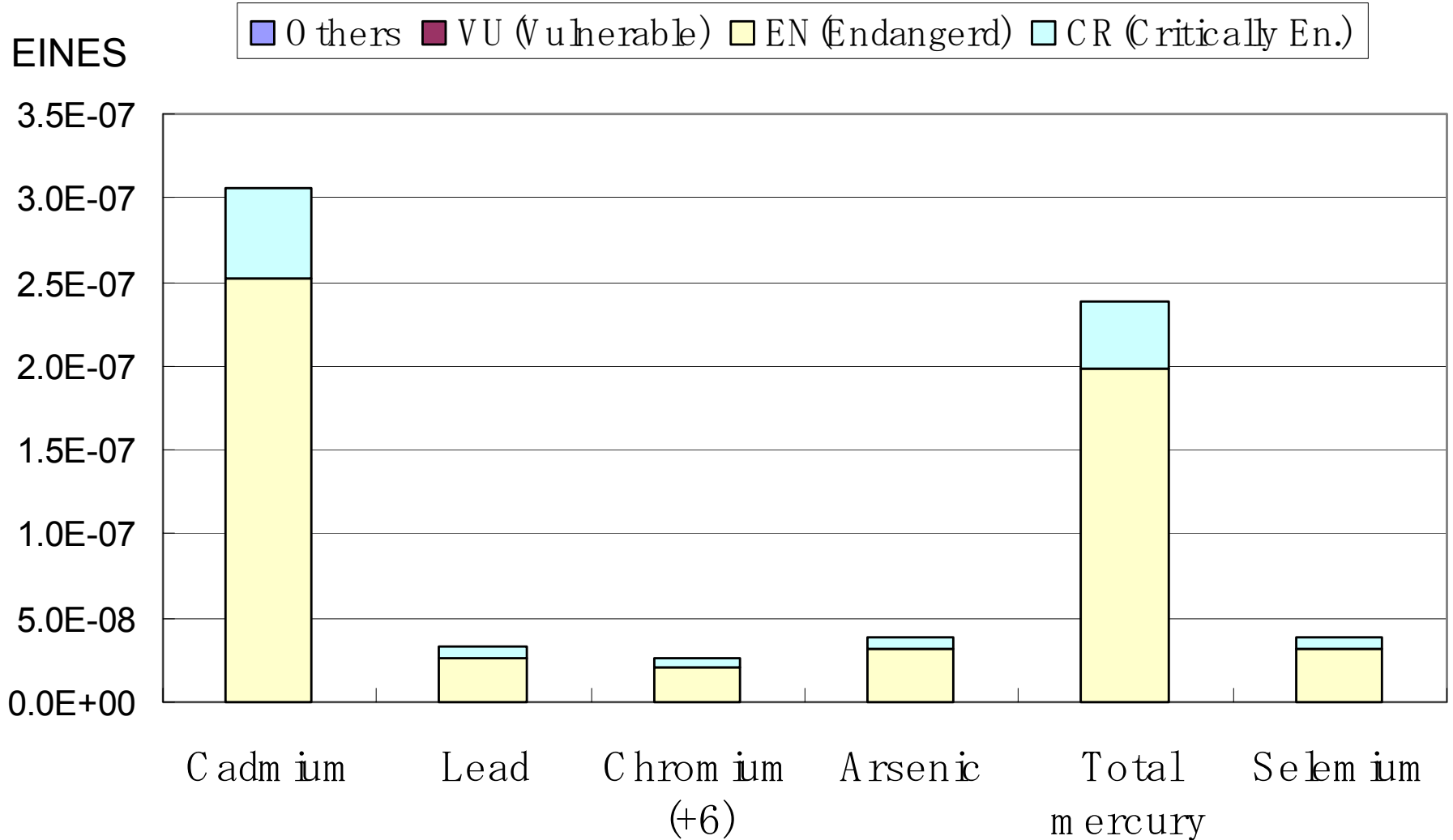
Estimate the increase of extinction risk

$$\Delta R_G = \frac{G(t|x_0)_p - G(t|x_0)_E}{t}$$

# Result



# Result



# Conclusions and Outlook

§ 21 substances of damage function relating ecotoxicity have been developed.

§ The sensitivity of extinction for endangered species can be considered as significant.

§ EINES of metals are larger than that of selected chemicals comparatively.

§ The result of this study will be published in the end of LCA National Project (2003 March).