

# House Prices, Residential Mortgage Credit and Monetary Policy

Meenakshi Basant Roi  
Rhys Mendes

*Preliminary*  
*December 2004*

# Objectives

- Should the Bank respond to house price growth?
- Use model with a financial accelerator in household sector to answer this question
- Answer this question in the presence of deviations from fundamentals

# Outline

- Baseline Model
- Model assessment
- Deviation from fundamental experiment
- Policy rule comparison

# Related Literature

- Household Financial Accelerator:
  - Aoki et al. (2002)
  - Iacoviello (2004)

# Model Overview

- 2 types of households: patient and impatient
- Financial intermediary
- House producers
- Intermediate good producers
- Final good producers
- Monetary authority

# Patient Consumers

$$\max_{C_t^p, H_{t+1}^p, L_t^p, B_{t+1}} E_t \sum_{j=0}^{\infty} \mathbf{b}_p^t \left[ \log C_{t+j}^p + \mathbf{g} \log H_{t+j}^p + \mathbf{x} \log(1 - L_{t+j}^p) \right]$$

subject to:

$$\begin{aligned} P_{t+j} C_{t+j}^p + Q_{t+j} (H_{t+j+1}^p - (1 - \mathbf{d}) H_{t+j}^p) + Q_{t+j} \Phi \left( \frac{H_{t+j+1}^p}{H_{t+j}^p} \right) H_{t+j}^p + D_{t+j+1} + T_{t+j}^p \\ = W_{t+j} L_{t+j}^p + R_{t+j} D_{t+j} + V_{t+j}^p \end{aligned}$$

where:

$$\Phi \left( \frac{H_{t+j+1}^p}{H_{t+j}^p} \right) = \frac{\mathbf{f}}{2} \left( \frac{H_{t+j+1}^p}{H_{t+j}^p} - 1 \right)^2$$

# Impatient Consumers

$$\max_{C_t^i, H_{t+1}^i, L_t^i, B_{t+1}} E_t \sum_{j=0}^{\infty} \mathbf{b}_i^t \left[ \log C_{t+j}^i + \mathbf{g} \log H_{t+j}^i + \mathbf{x} \log(1 - L_{t+j}^i) \right]$$

subject to:

$$P_{t+j} C_{t+j}^i + Q_{t+j} \left( H_{t+j+1}^i - (1 - \mathbf{d}) H_{t+j}^i \right) + Q_{t+j} \Phi \left( \frac{H_{t+j+1}^i}{H_{t+j}^i} \right) H_{t+j}^i + Z_{t+j-1} B_{t+j} \\ = W_{t+j} L_{t+j}^i + B_{t+j+1}$$

In equilibrium:

$$Z_{t+j} = \mathbf{y} \left( \frac{B_{t+j+1}}{Q_{t+j} H_{t+j+1}^i} \right) R_{t+j}$$

# House Producers

Evolution process for housing stock:

$$H_{t+1} - (1 - \mathbf{d})H_t = F(I_t, I_{t-1})$$

where

$$F(I_t, I_{t-1}) = \left[ 1 - \frac{\mathbf{h}}{2} \left( \frac{I_t}{I_{t-1}} - 1 \right)^2 \right] I_t$$

House producers' profit maximization problem:

$$\max_{I_t} E_t \sum_{j=0}^{\infty} \mathbf{b}_p^j \mathbf{I}_{t+j}^p \left[ Q_{t+j} F(I_{t+j}, I_{t+j-1}) - P_{t+j} I_{t+j} \right]$$



# Final Good Producer

- Technology:

$$Y_t = \left[ \int_0^1 Y_t(z)^{\frac{e-1}{e}} dz \right]^{\frac{e}{e-1}}$$

- Profit maximization implies:

$$Y_t(z) = \left( \frac{P_t(z)}{P_t} \right)^{-e} Y_t$$

# Intermediate Good Producers

- Intermediate good  $z \in (0,1)$  is produced by a monopolist with technology:

$$Y_t(z) = A_t L(z)^{1-a}$$

- They hire labour in a perfectly competitive market

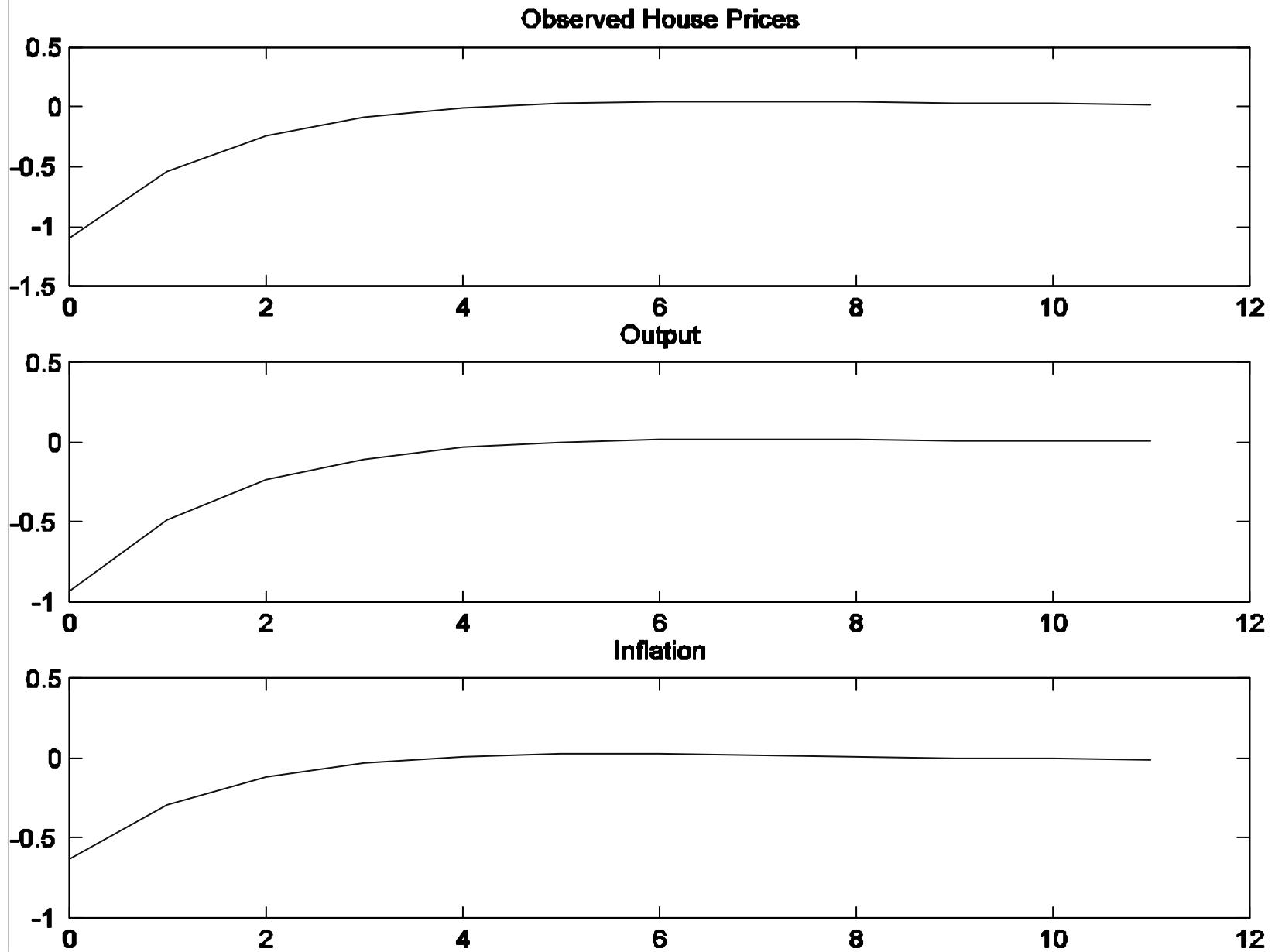
# Policy Reaction Function

$$\hat{R}_t = r_R \hat{R}_{t-1} + (1 - r_R) [m_p \hat{p}_t + m_y \hat{y}_t] + e_{R,t}$$

# Key Parameter Values

| Parameter | Calibrated Value | Target                                     |
|-----------|------------------|--|
| $\beta_p$ | 0.995            | SS annual real interest rate of 2 per cent |
| $\beta_i$ | 0.989            | SS EFP of 245 bps                          |
| ?         | 0.09             | C/H ratio of 0.35                          |
| $d$       | 0.025            |  |
| ?         | 2.48             |  |
| ?         | 0.042            |  |

# Rise of 100 bps in Interest Rate



# Random Deviation From Fundamental

- The fundamental price of housing is still determined by the linearized adjustment cost equation:

$$\hat{q}_t = \mathbf{h}(\hat{I}_t - \hat{I}_{t-1}) - \mathbf{b}_p \mathbf{h}(E_{t+1} \hat{I}_{t+1} - \hat{I}_t)$$

- The observed market price of housing:

$$\hat{s}_t = \hat{q}_t + \hat{v}_t$$

# Random Deviation From Fundamental

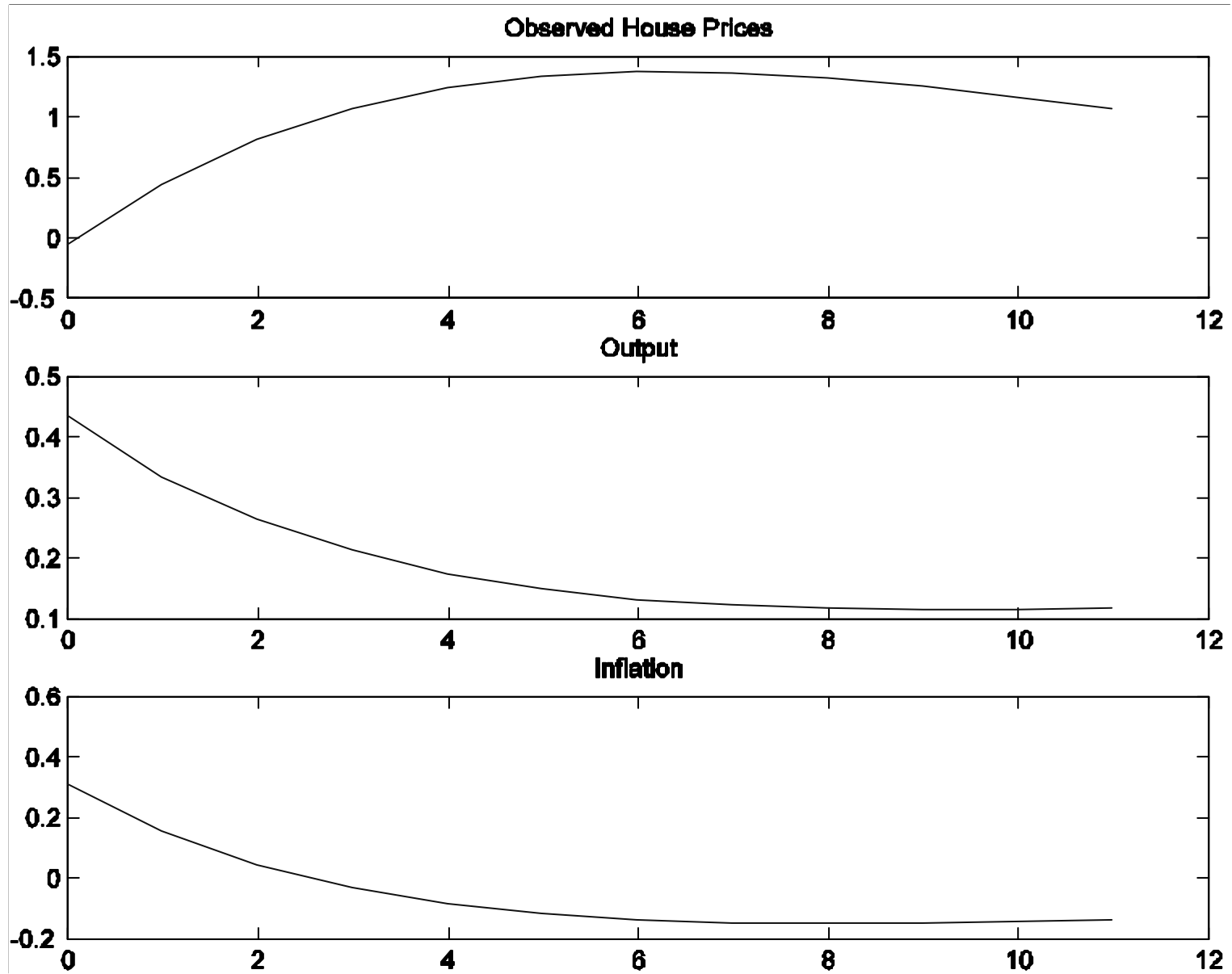
- Deviation process:

$$\hat{v}_t = \mathbf{r}_v \hat{v}_{t-1} + \hat{u}_t$$

$$\hat{u}_t = \mathbf{r}_u \hat{u}_{t-1} + \mathbf{e}_t^u$$

- Auto-correlated innovation allows deviation to increase for several periods after initial shock

# Deviation From Fundamental



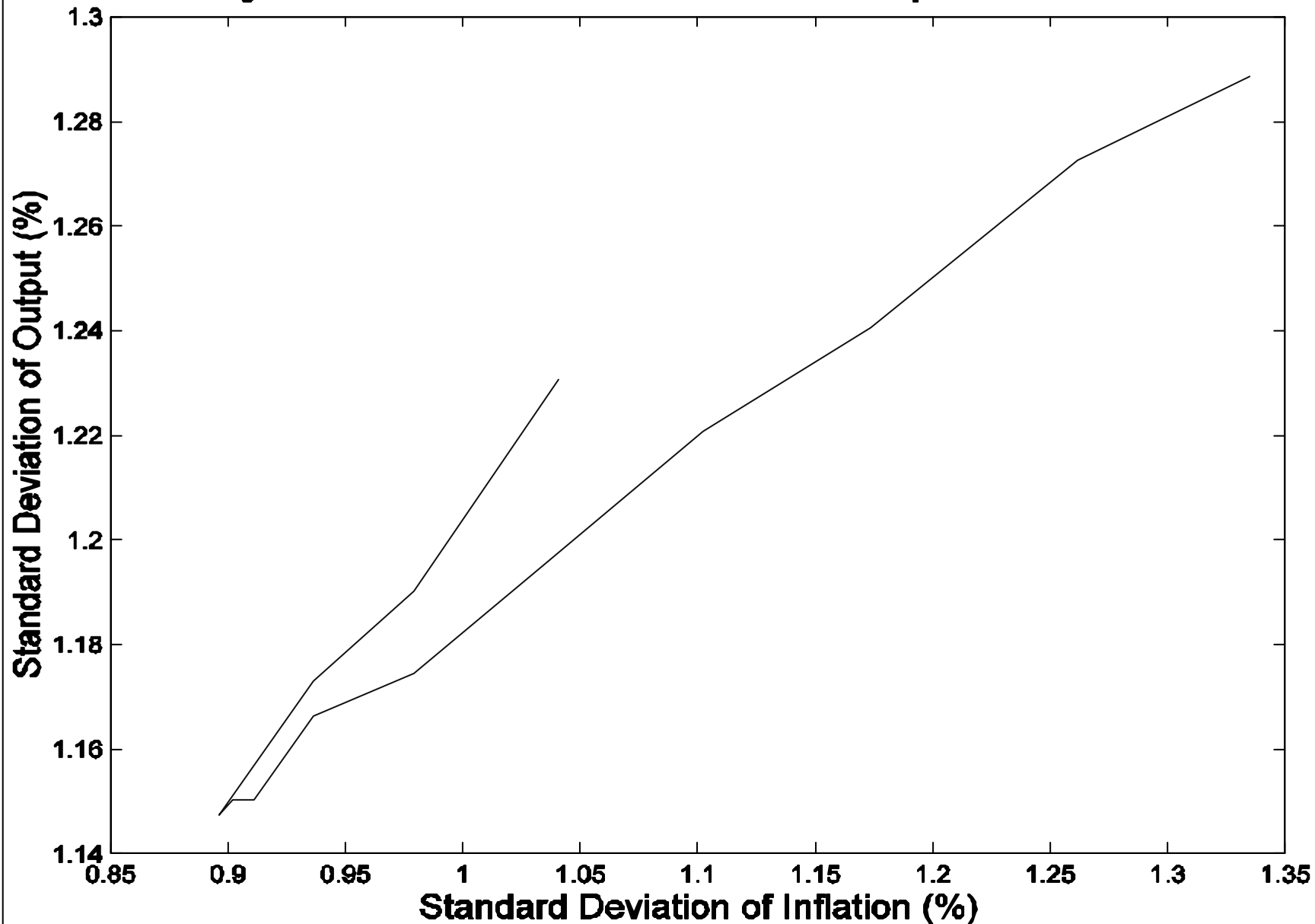


# Policy Possibility Frontiers

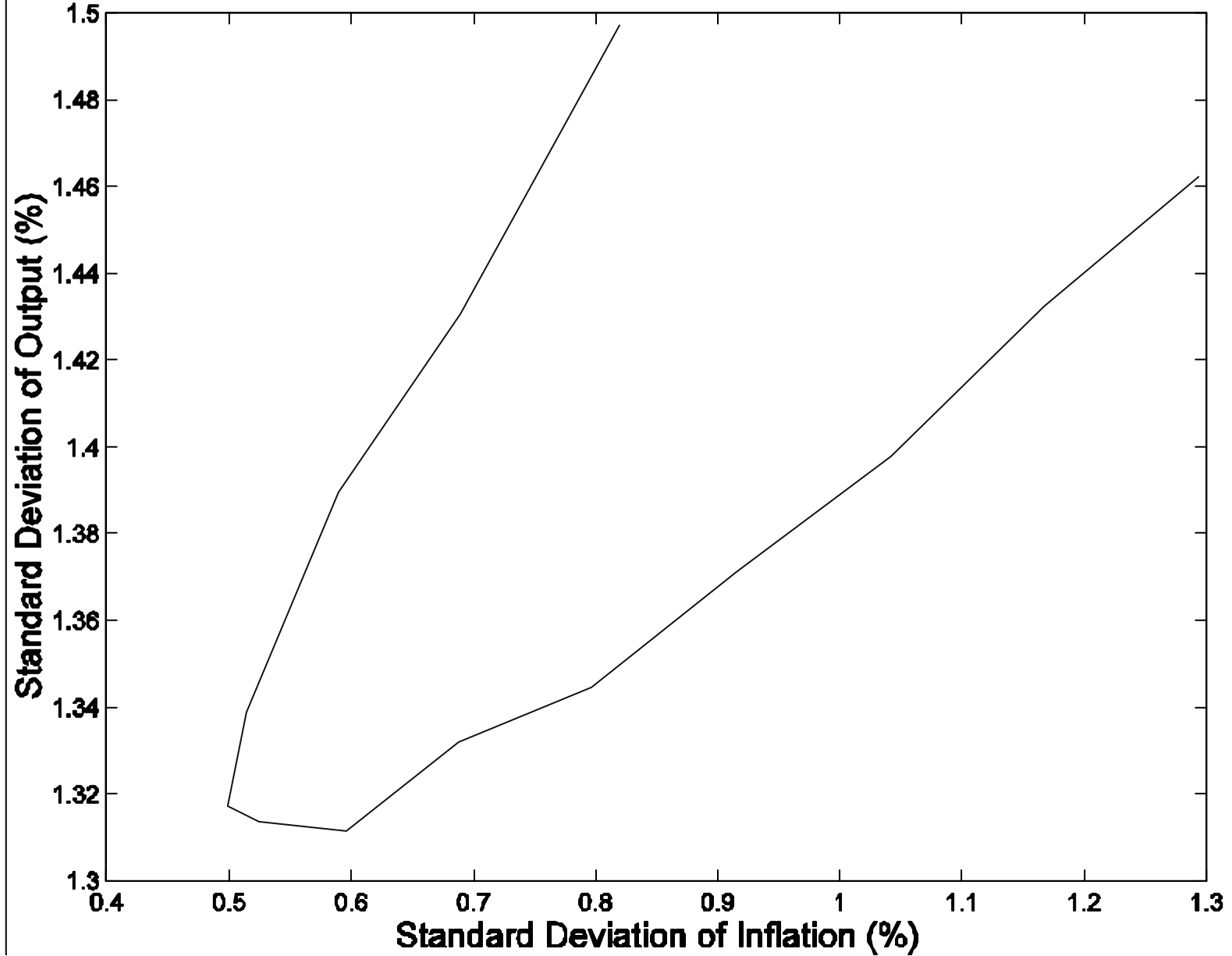
$$\hat{R}_t = \mathbf{r}_R \hat{R}_{t-1} + (1 - \mathbf{r}_R) [\mathbf{m}_p \hat{p}_t + \mathbf{m}_y \hat{y}_t + \mathbf{m}_s \hat{s}_t] + \mathbf{e}_{R,t}$$

$$\hat{R}_t = \mathbf{r}_R \hat{R}_{t-1} + (1 - \mathbf{r}_R) [\mathbf{m}_p \hat{p}_t + \mathbf{m}_y \hat{y}_t + \mathbf{m}_b \hat{b}_t] + \mathbf{e}_{R,t}$$

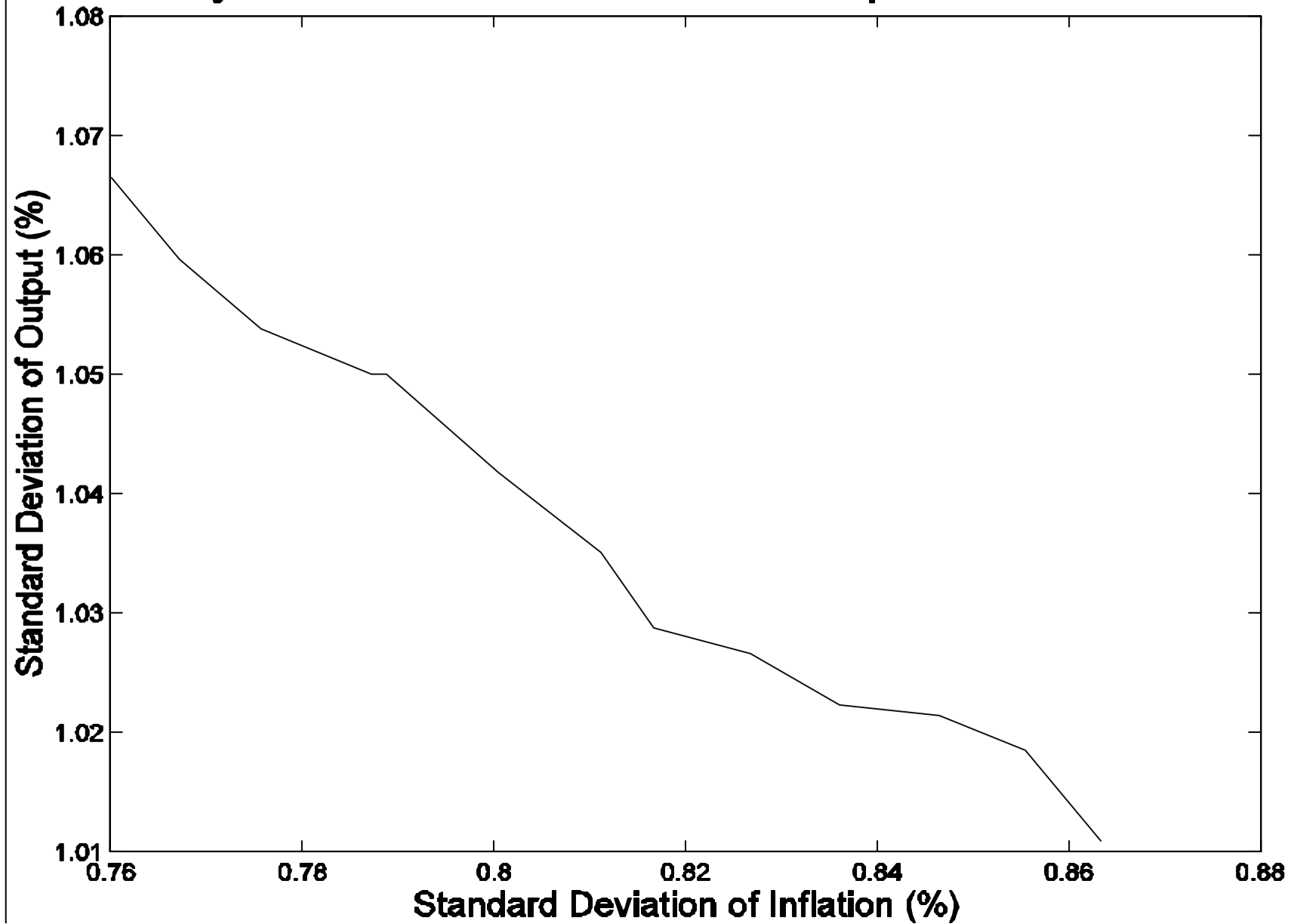
# Policy Frontier for House Price Growth Response - All Shocks



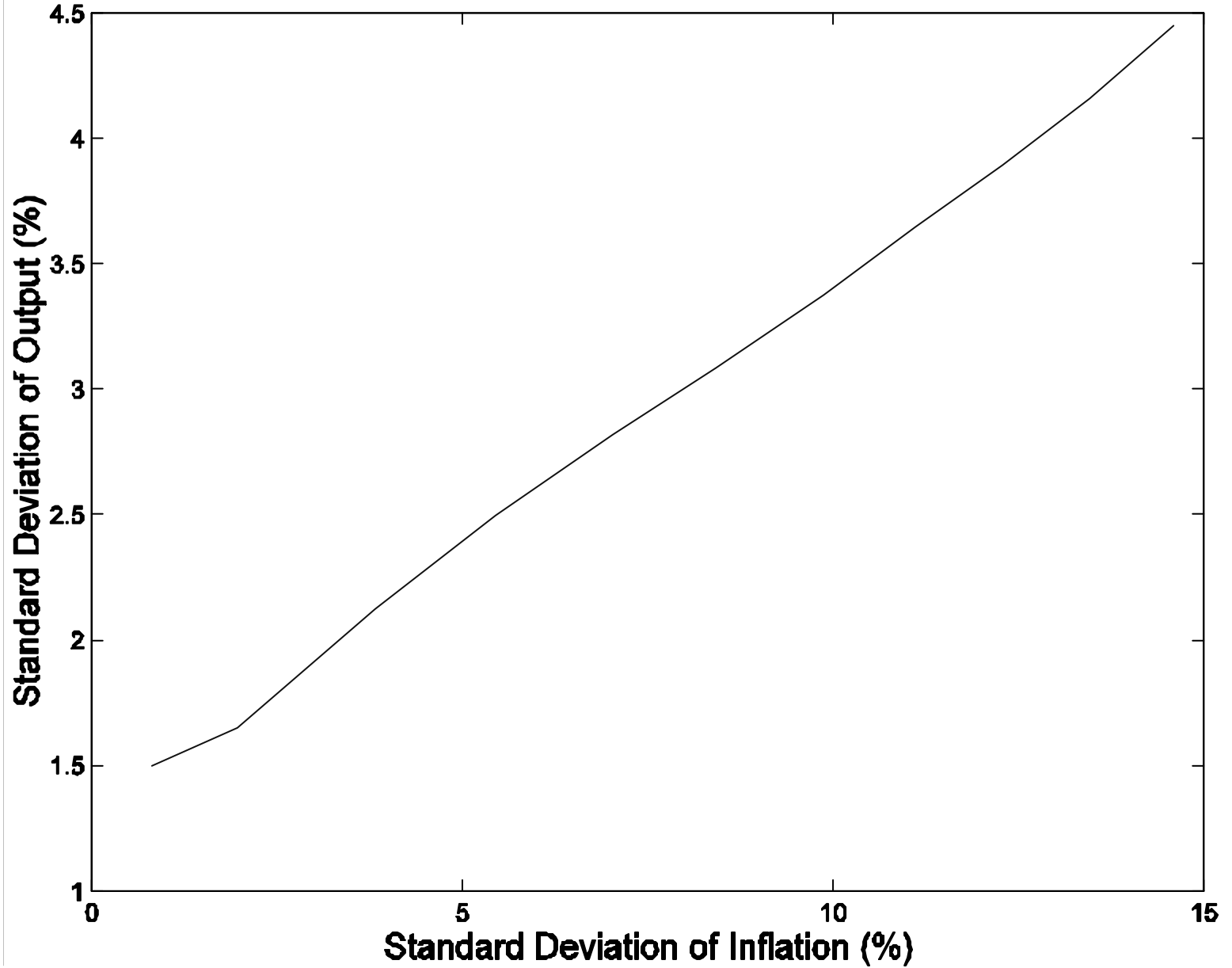
**Policy Frontier for House Price Growth Response - All Shocks**



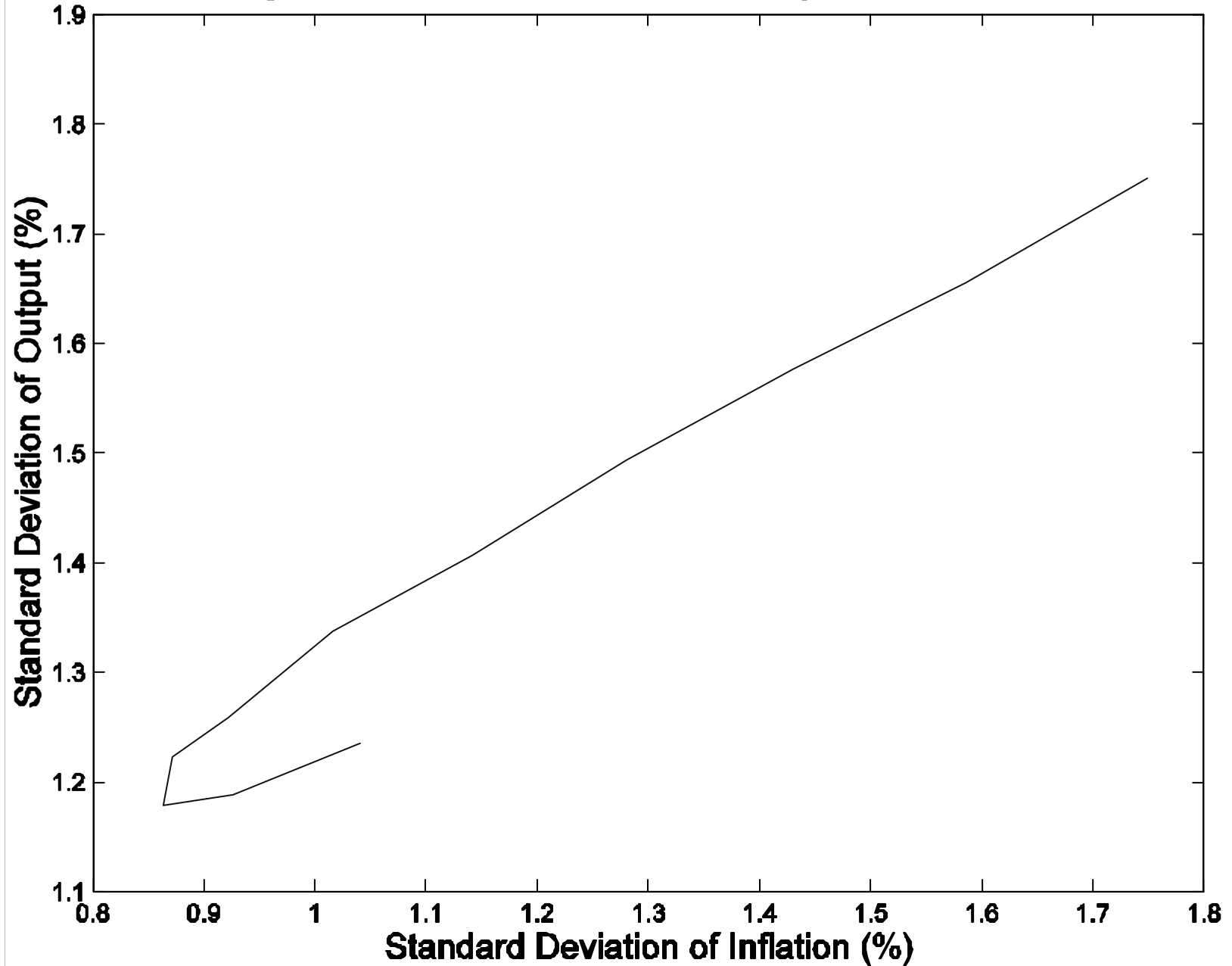
### Policy Frontier for House Price Growth Response - A & G Shocks



### Policy Frontier for Credit Level Response - All Shocks



# Policy Frontier for Credit Growth Response - All Shocks



# Conclusion - Findings

- Responding mildly to house price growth may reduce inflation and output variabilities

# Conclusion – Future Work

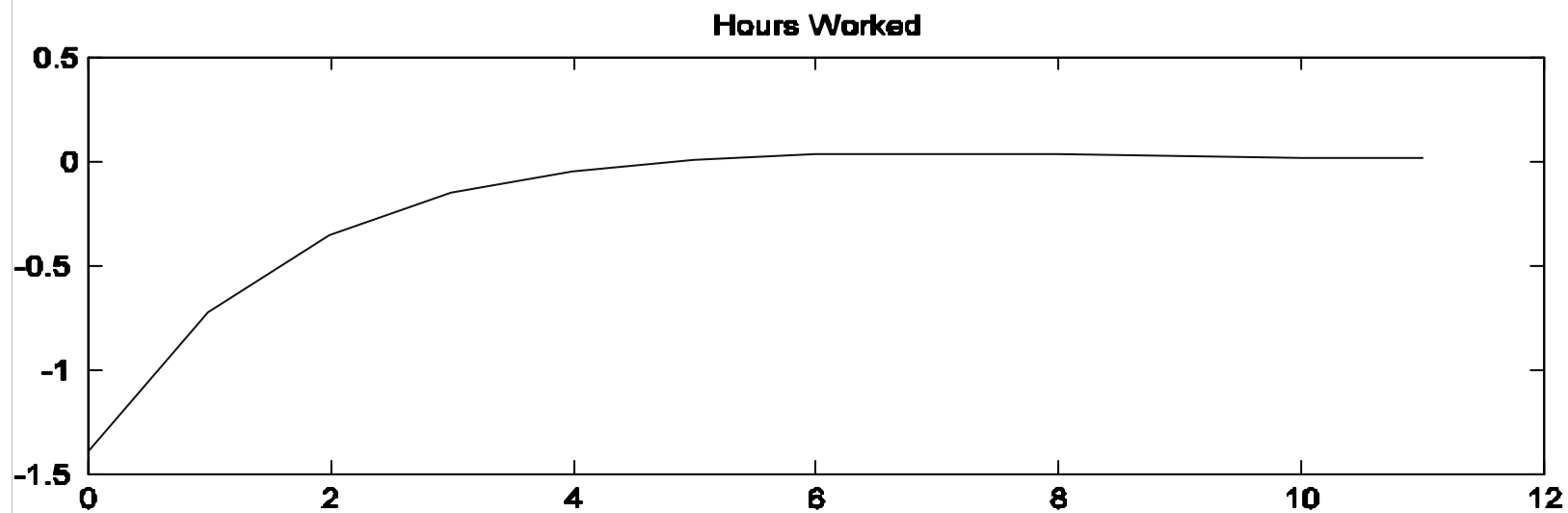
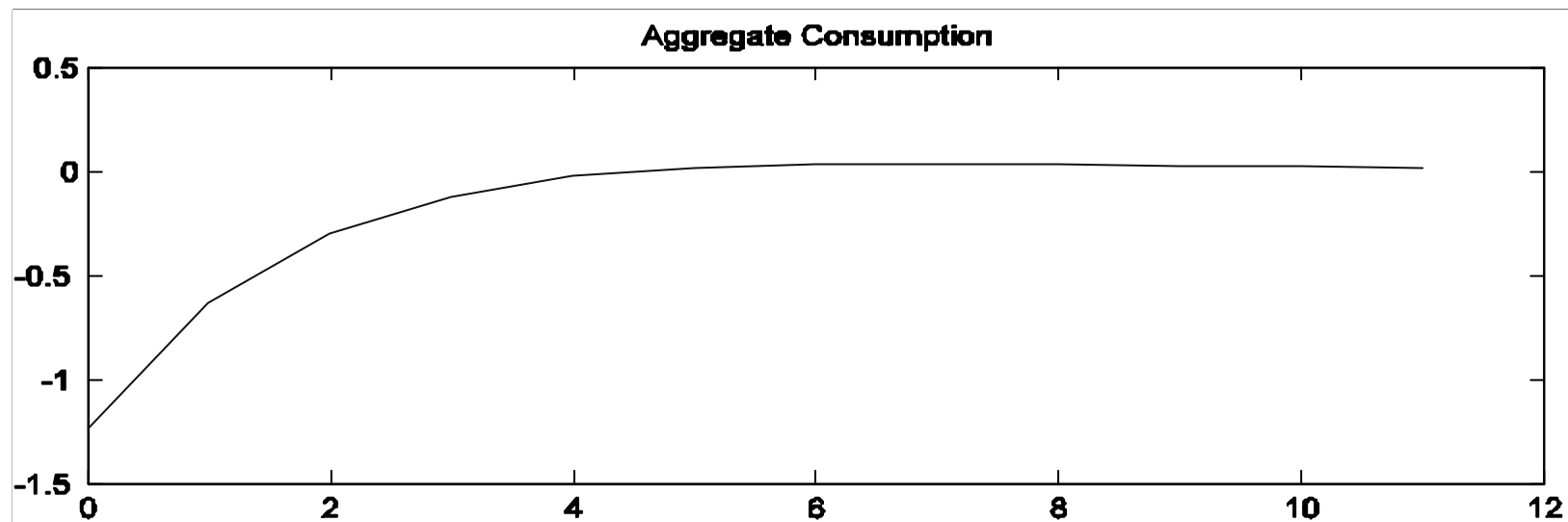
- Consider other ways of modeling deviation from fundamental
- Address non-linear effects of a prolonged deviation from fundamentals
- Introduce other frictions to improve dynamics of inflation and output



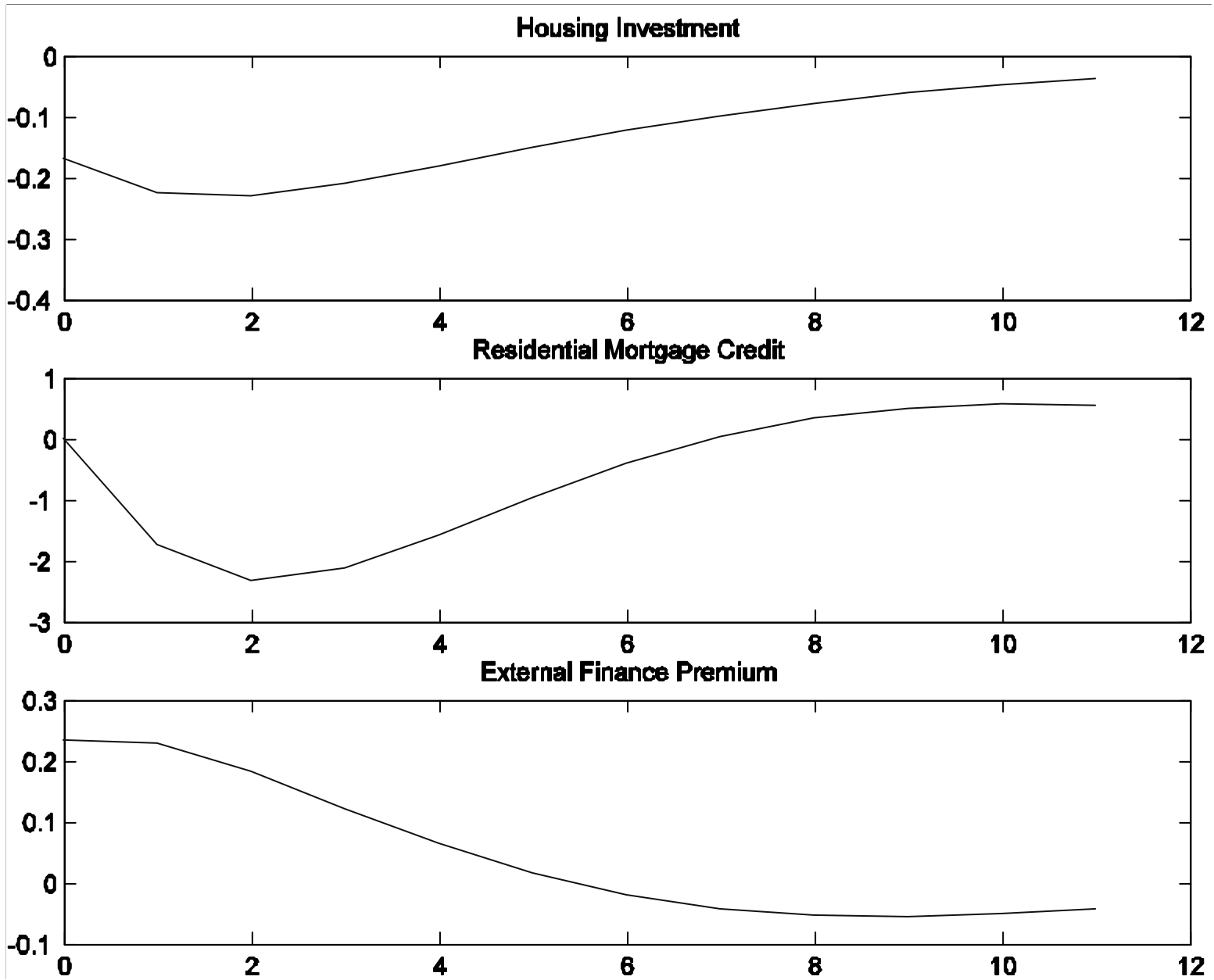
# Conclusion – Future Work

- In the presence of non-fundamental house price movements, what is the optimal horizon for returning inflation back to target?

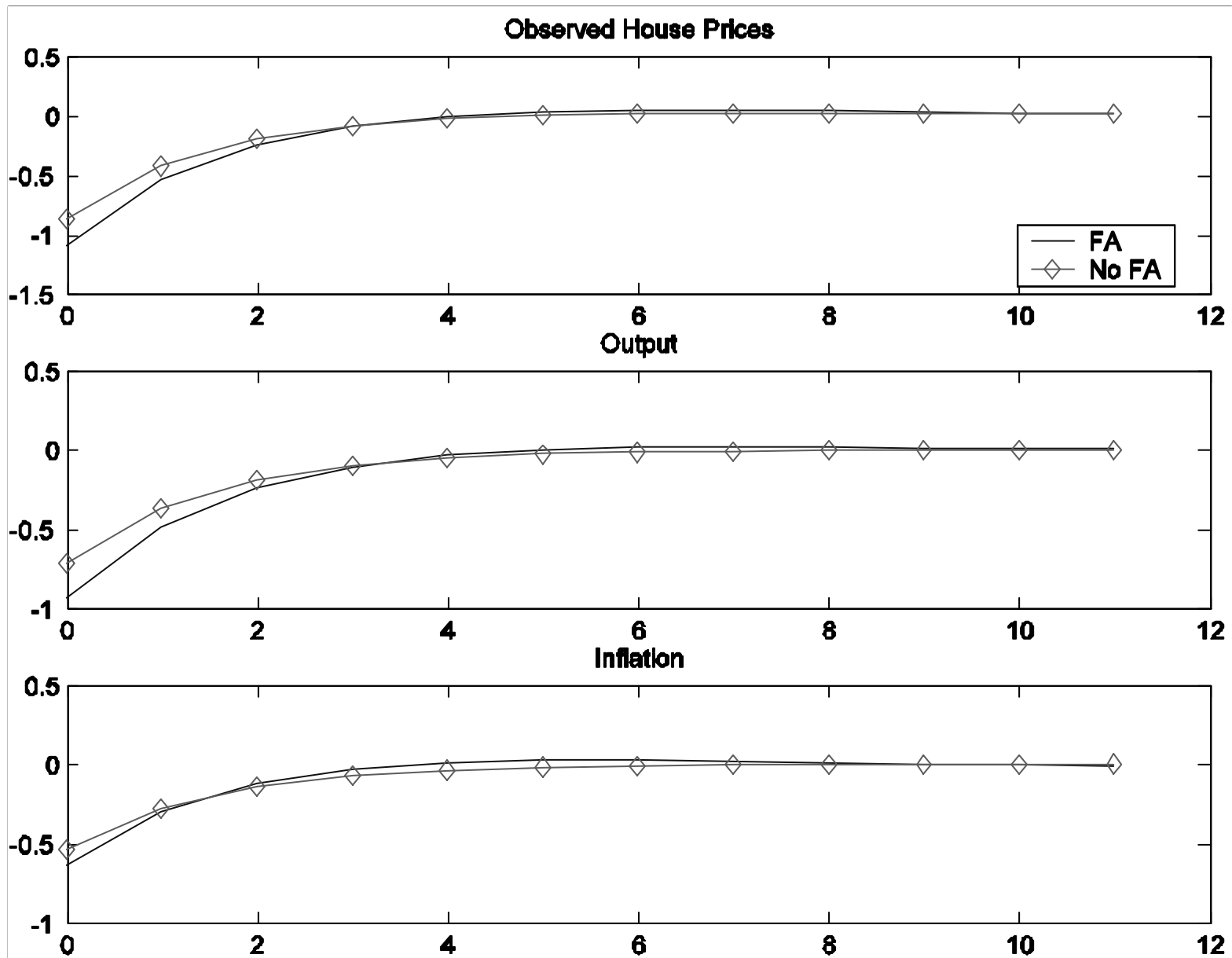
# Interest Rate Rise of 100 bps (2)



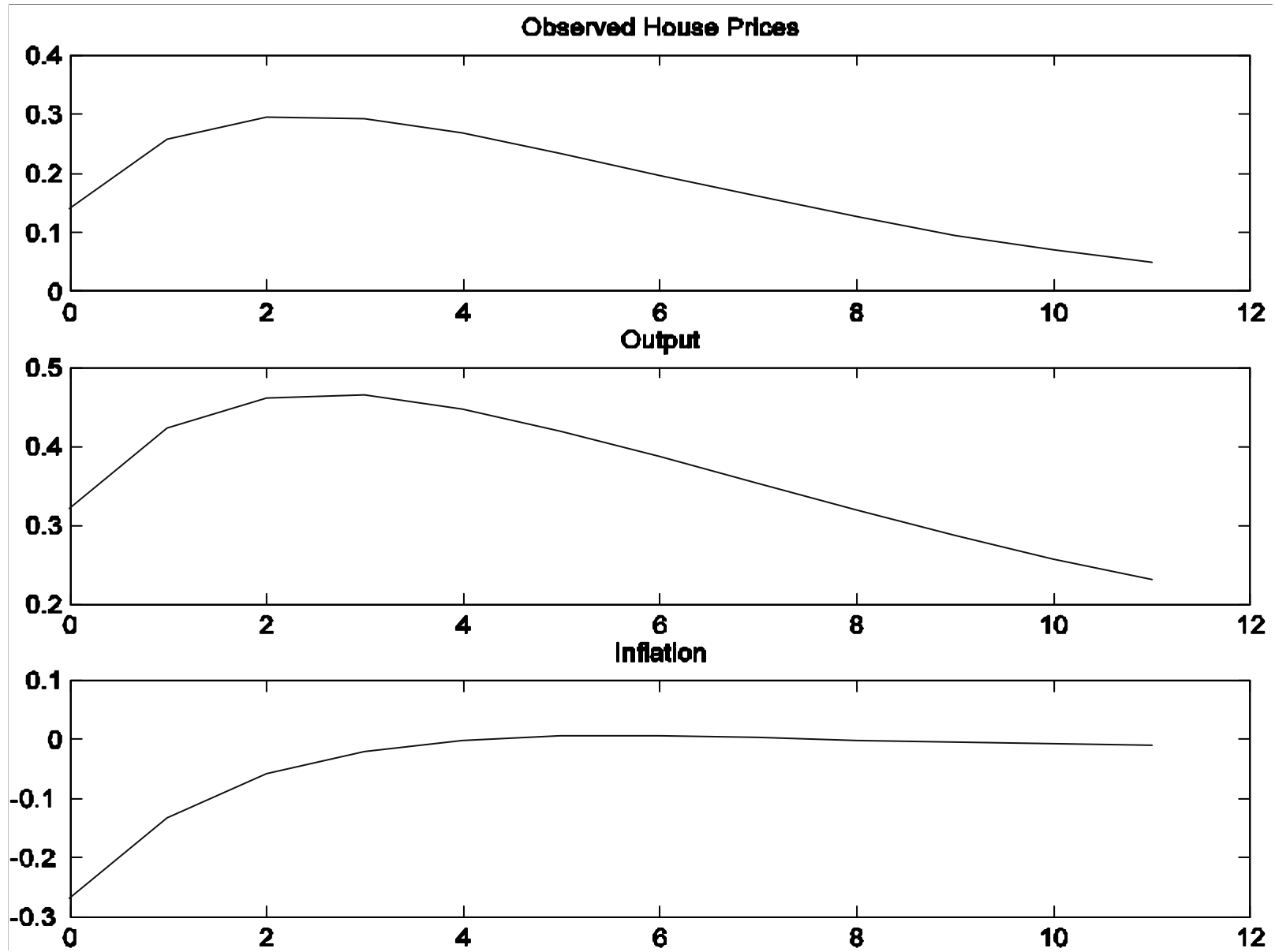
# Interest Rate Rise of 100 bps (3)



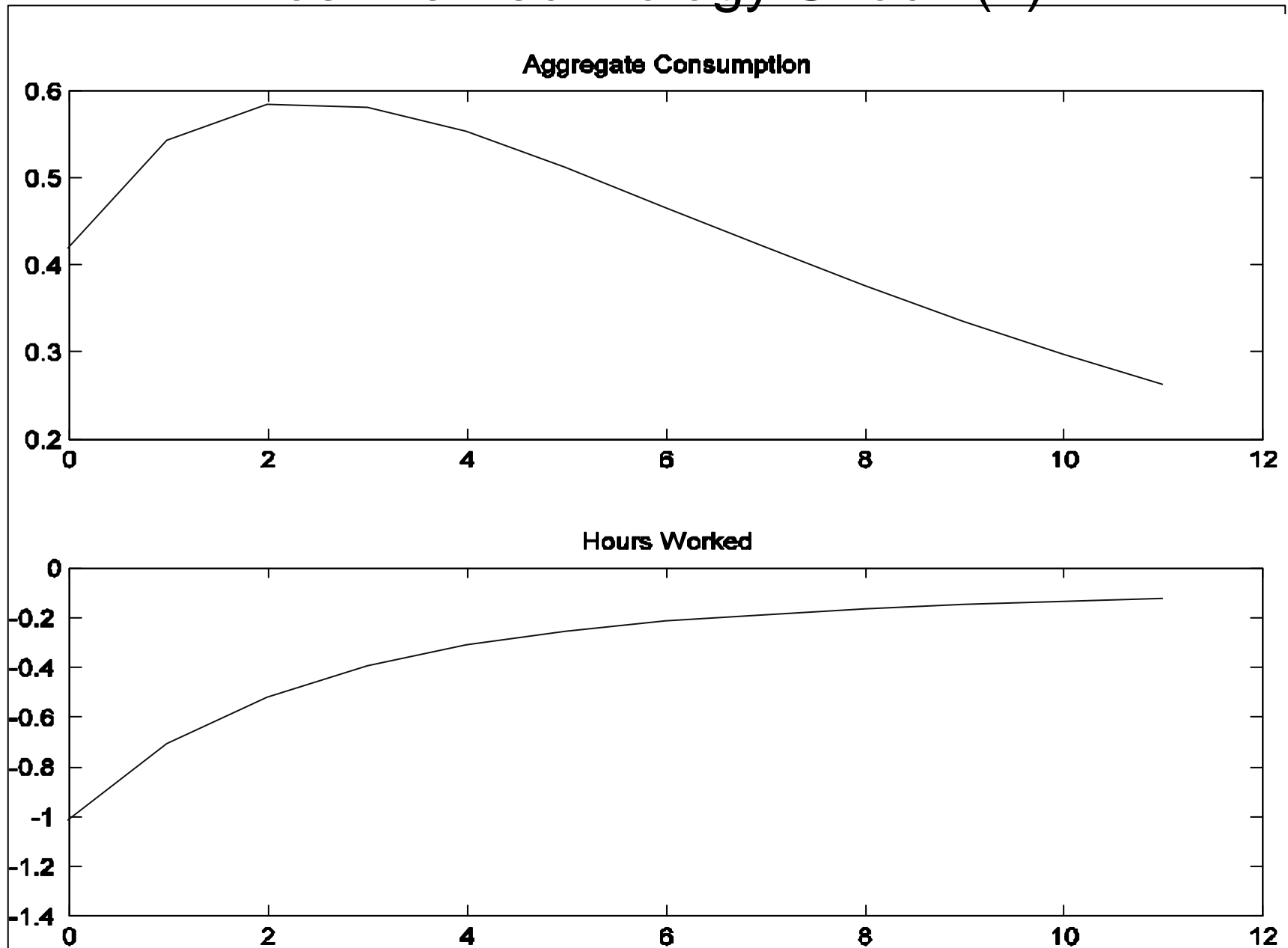
# Interest Rate Rise of 100 bps (4)



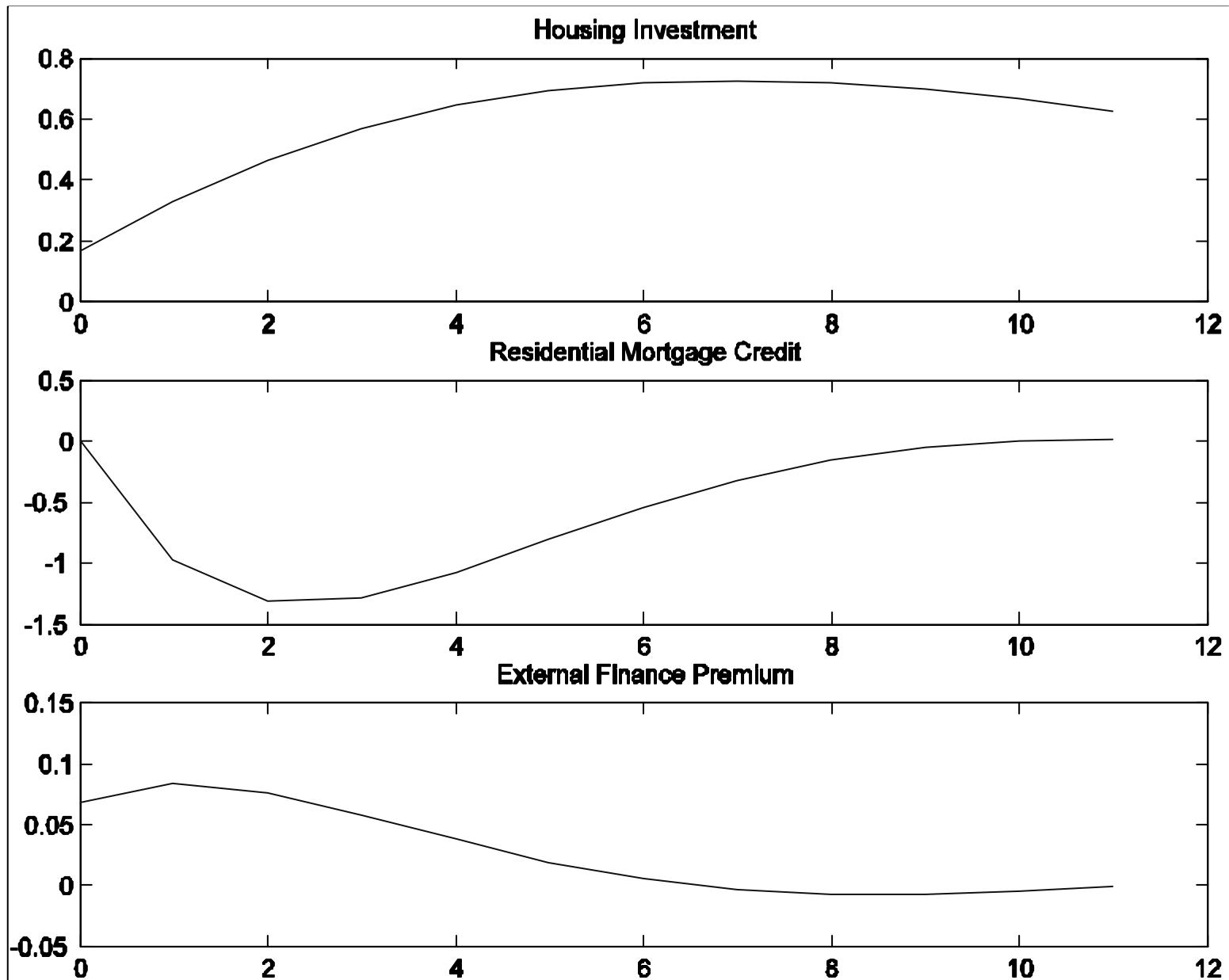
# Positive Technology Shock (1)



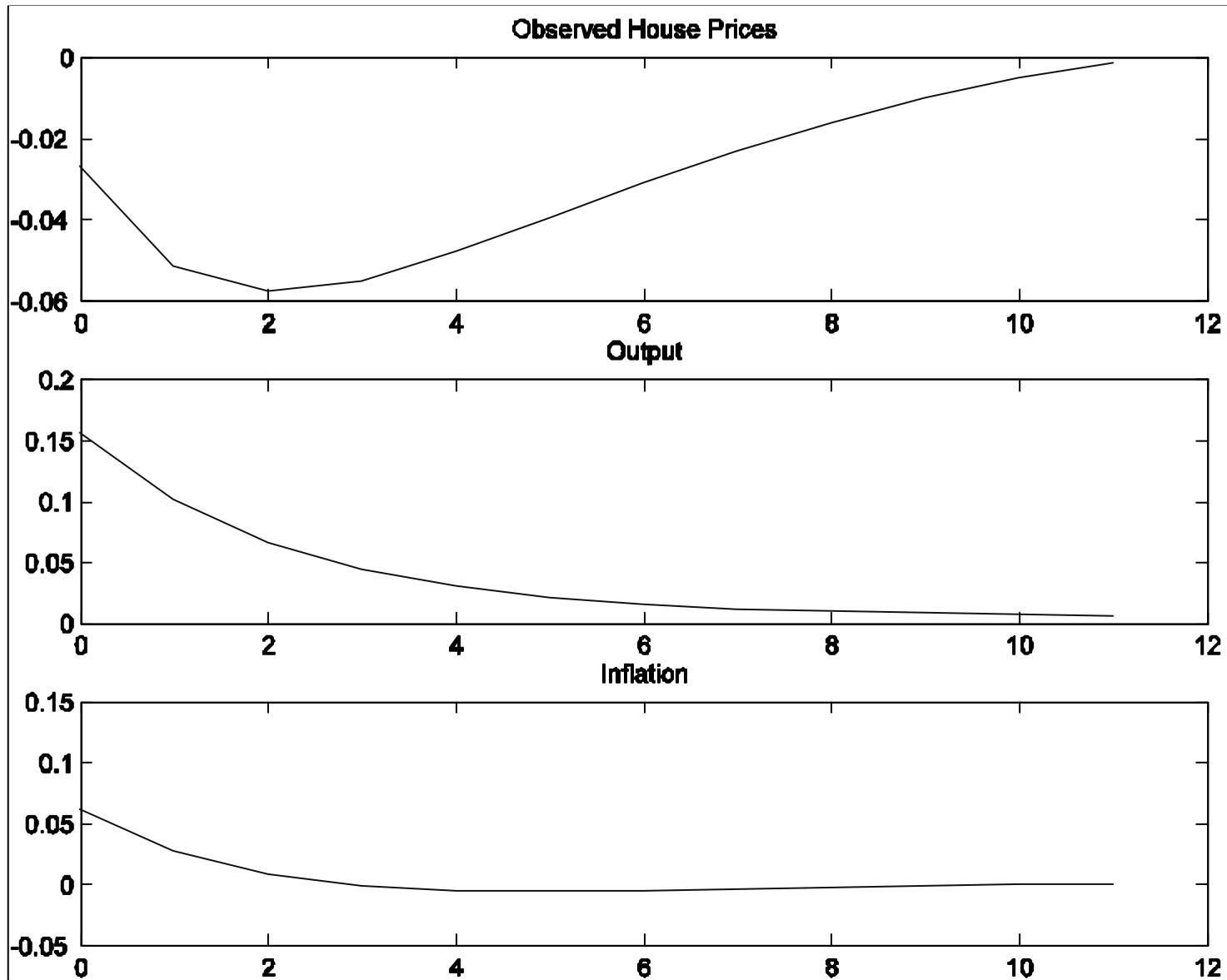
# Positive Technology Shock (2)



# Positive Technology Shock (3)

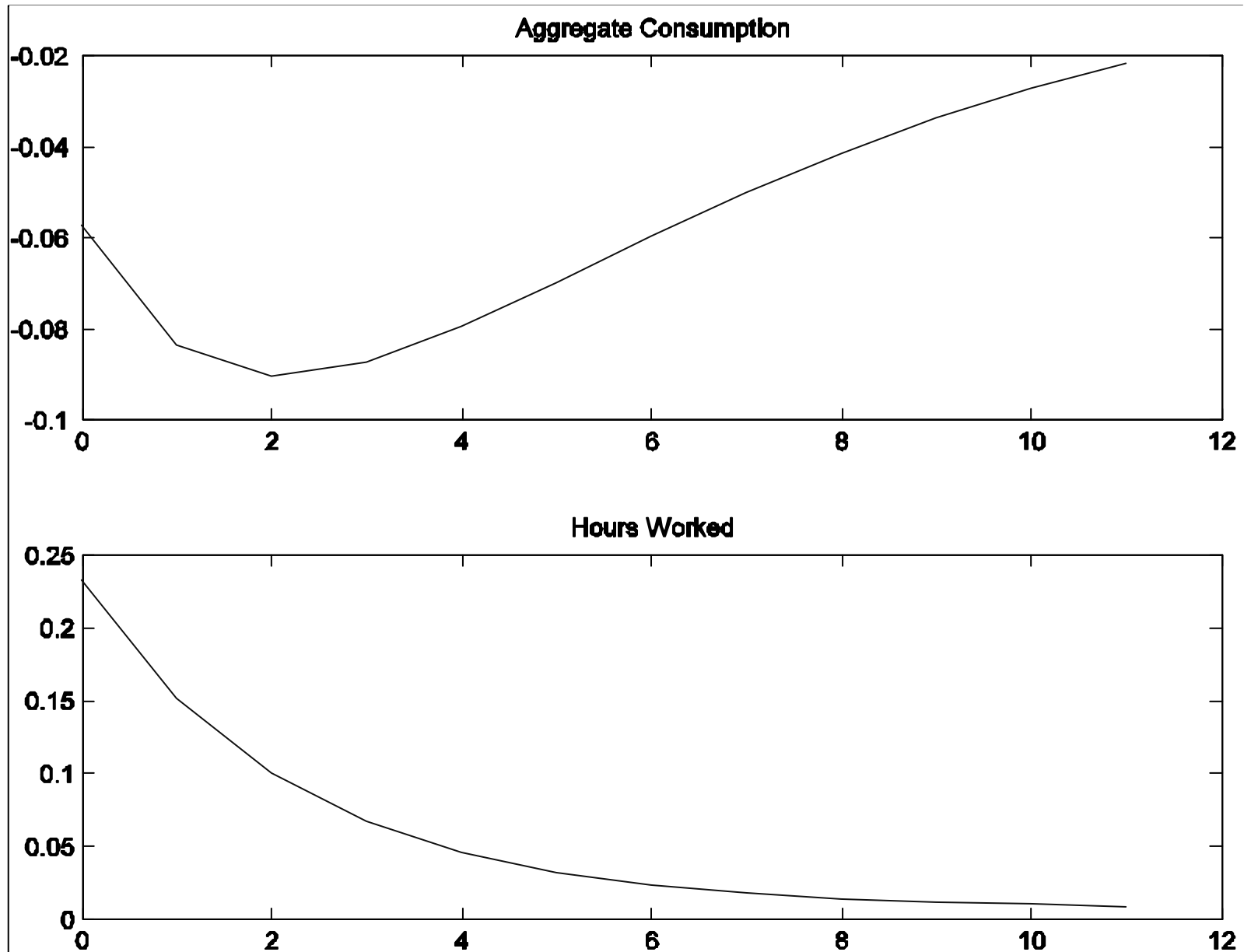


# Positive Government Spending Shock (1)

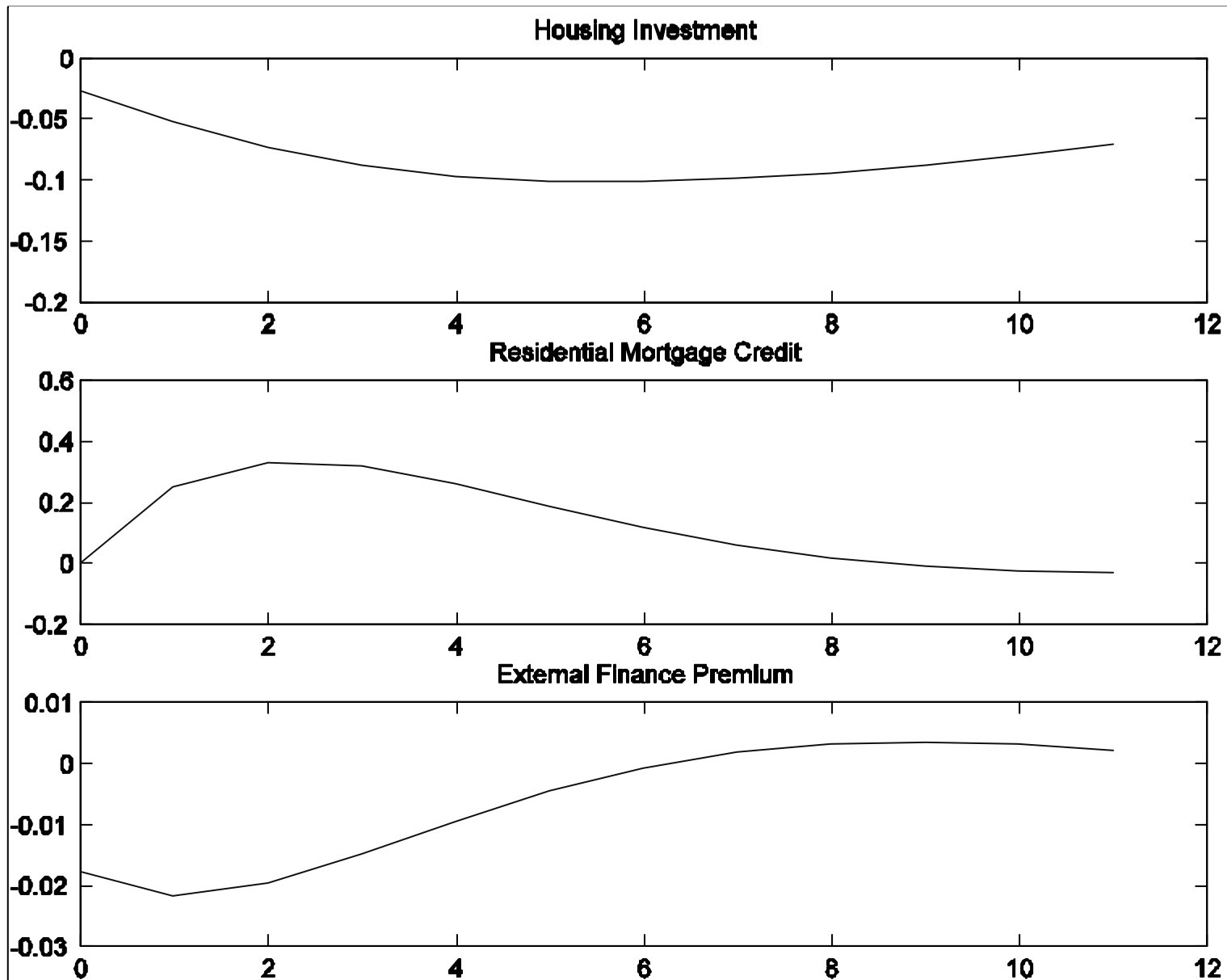




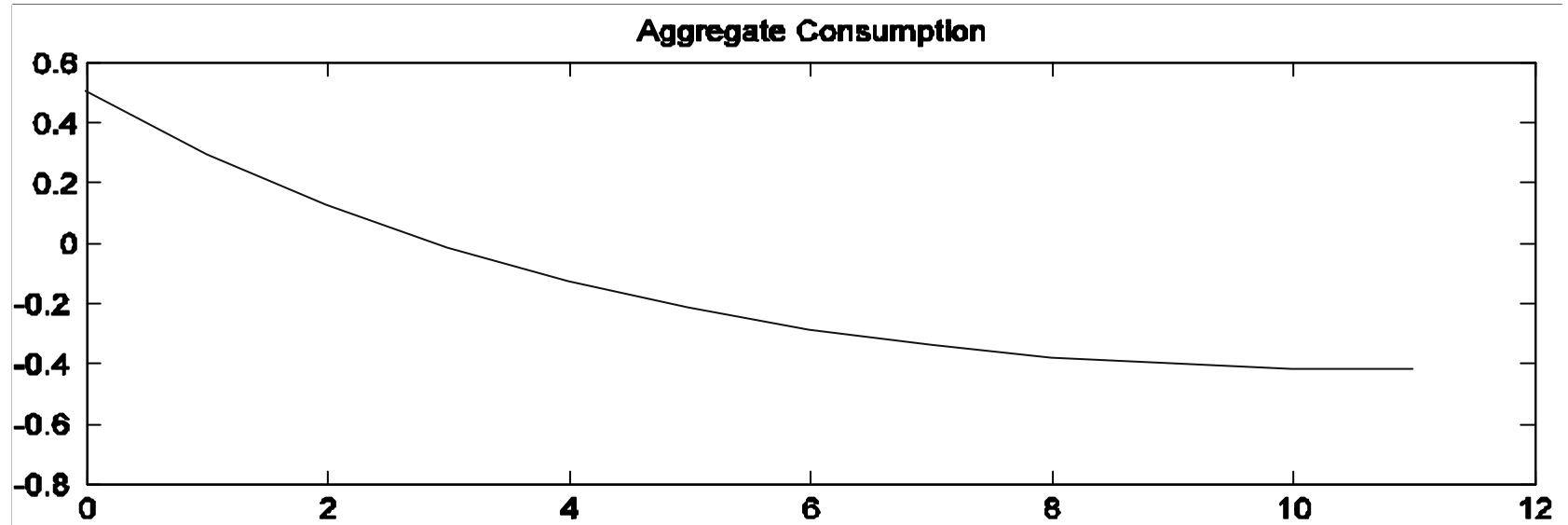
# Positive Government Spending Shock (2)



# Positive Government Spending Shock (3)



# Deviation from Fundamental (2)



# Deviation from Fundamental (3)

